

Appendix C: Scallop Fishery Catch per Unit Effort index Standardization

Scallop Plan Team, Mar. 6, 2023

Purpose

$$U_t = \frac{C_t}{E_t} = qN_t$$

- Provided q is constant over time, CPUE is proportional to abundance
- **It is rare that q is constant over the entire exploitation history.**
 - Vessel specific fishing behavior
 - Gear changes
 - Weather (ie time of year/season)

Current Standardization Model

$$(U + \gamma) = f_1(\text{depth} \cdot \text{Bed}) + f_2(\text{longitude} \cdot \text{Bed}) + \text{Month} + \text{Vessel} + \text{Bed} + \text{Season} + \epsilon$$

$$\hat{U}_i = e^{\beta_{j,i} + \frac{\sigma_{j,i}}{2}} - \gamma$$

- Gamma distributed General Additive Model
- γ = small adjustment so $\log(\text{CPUE})$ is defined
- Generalized model form for all districts
- *Possibly overfit* (any addition seems to improve model)

Proposed Standardization Method

- Fixed degrees of freedom on smoothed terms (i.e., use GLM opposed to GAM)
- Subset data to include only 'core' fishery data
- Use forward and backward model selection based on approximate R^2 and AIC¹
- Scale index using geometric mean

Core Data Preparation

Include only:

1. Observed hauls
2. Dredges inside established bed boundary (bounding boxes based on historical fishing / cam sled analysis)
3. Dredges employing paired 13ft or 15 ft dredges
4. Depths within the 2.5% - 97.5% quantiles
5. Catches within the 2.5% - 97.5% quantiles
 - No zero catches (there are few in proportion)

Season	Number of Dredges
2009/10	238
2010/11	398
2011/12	237
2012/13	204
2013/14	254
2014/15	145
2015/16	105
2016/17	92
2017/18	52
2018/19	40
2019/20	45
2020/21	44
2021/22	84
2022/23	77

Model Selection

Null Model:

$$\ln \hat{U}_i = Season_i + \epsilon$$

Full Model:

$$\ln \hat{U}_i = ns(depth, df = 4) + DredgeWidth_{d,i} + Vessel_{v,i} + Bed_{b,i} + Month_{m,i} + Season_i + \epsilon$$

- Evaluated both gamma (log link) and lognormal distributed error
- Fit models to both retained catch CPUE and total catch (i.e., retained + discarded) CPUE
- Forward and backward selection¹
 - Significant improvement if $\Delta R^2 > 0.01$ & $\Delta AIC < 2 / df$

$$R^2 = \frac{D_{null} - D_{resid}}{D_{null}}$$

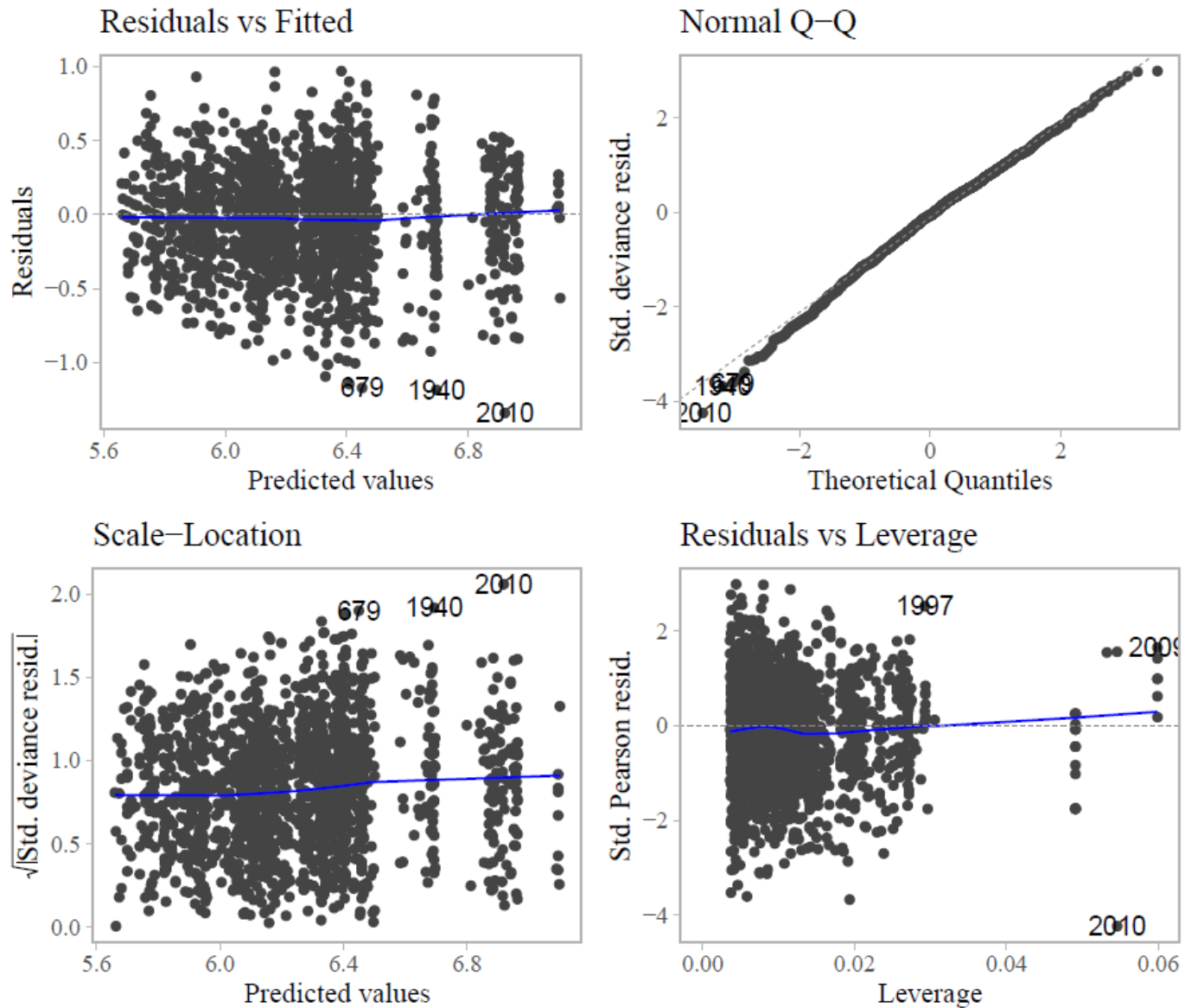


Figure 1: Linear model diagnostics for the final model fit to retained catch CPUE with a gamma distributed error.

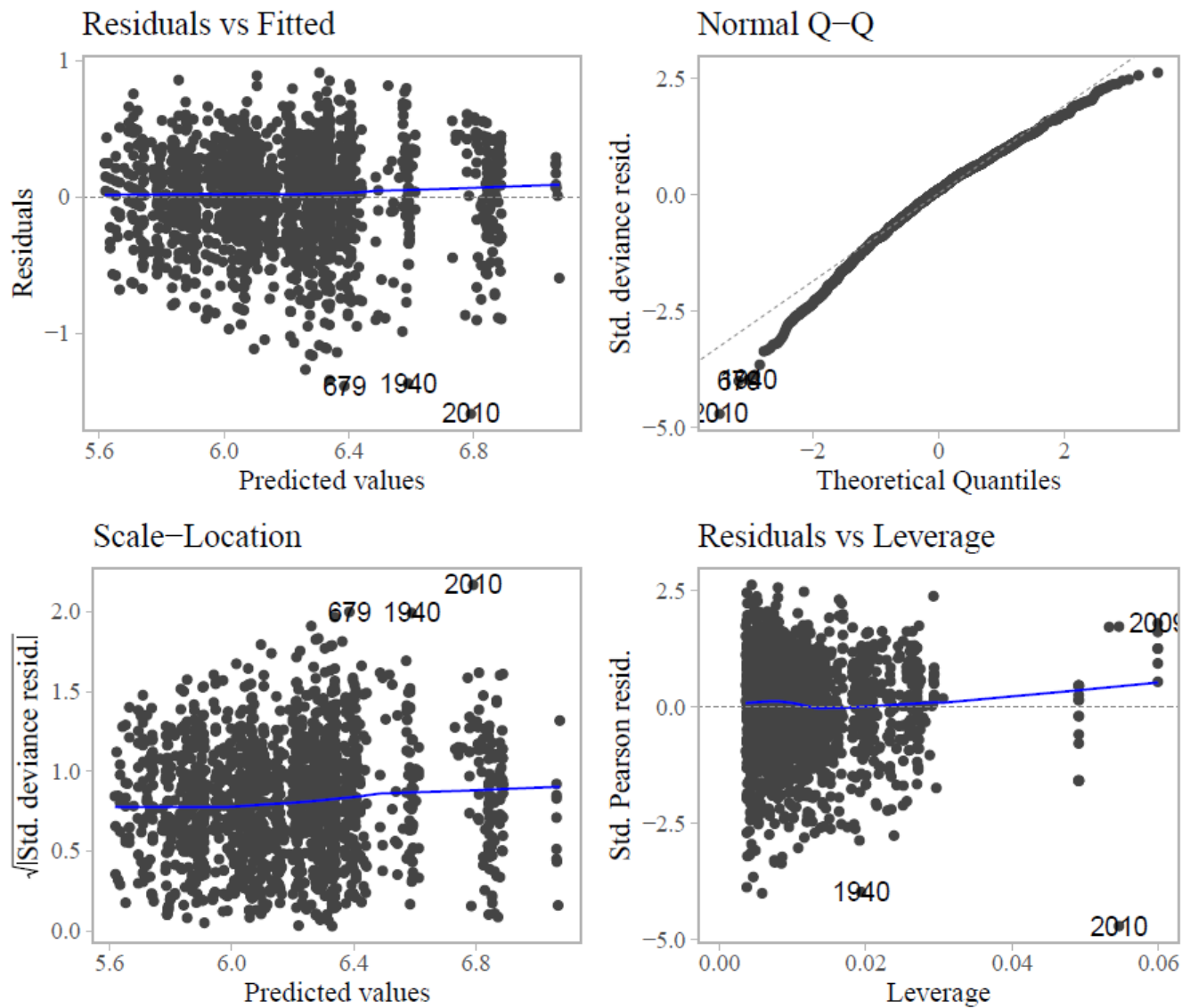


Figure 2: Linear model diagnostics for the final model fit to retained catch CPUE with a lognormal distributed error.

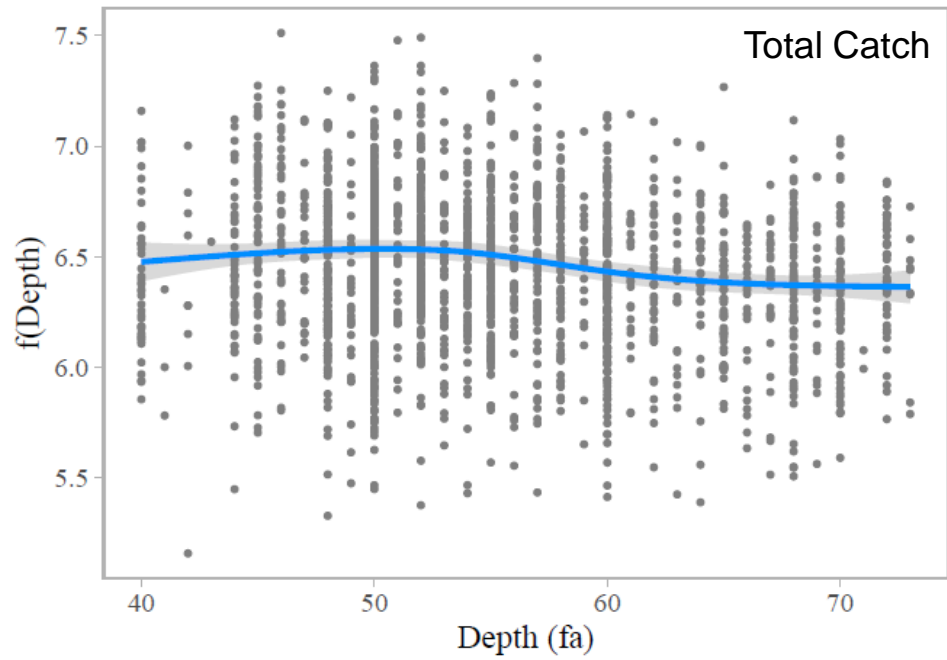
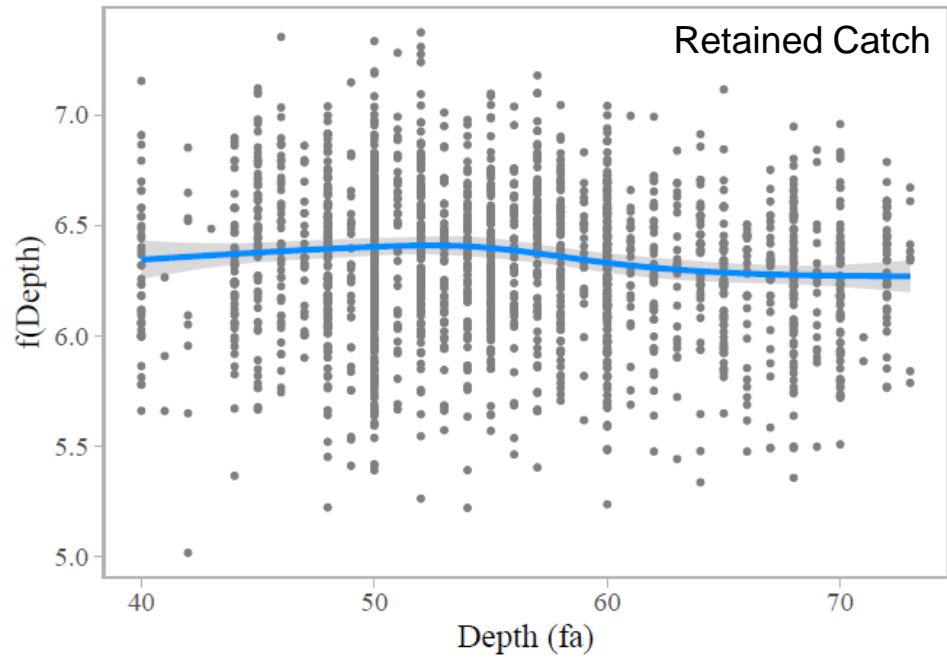
Retained Catch Model Results:

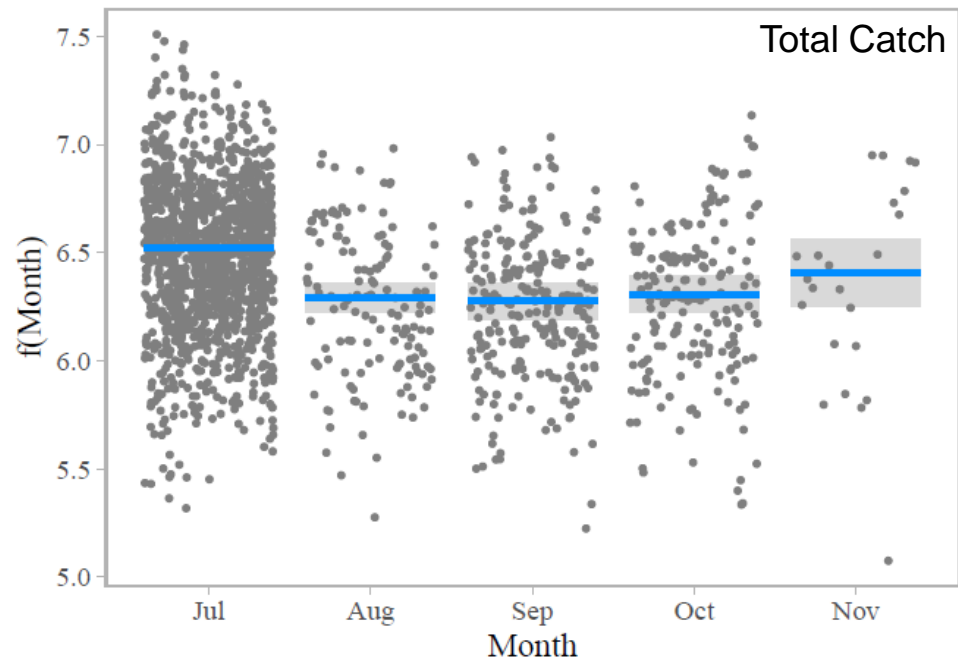
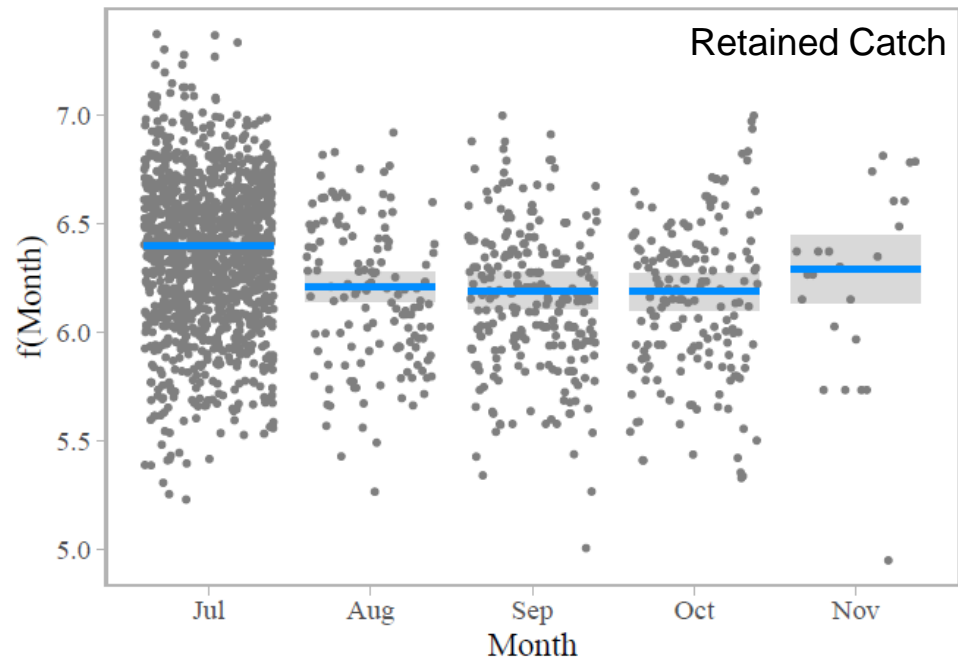
Model	Terms	df	R^2	Δ AIC
Null	<i>Season</i>	13	0.4	0
Final	$\text{ns}(\text{depth}, \text{df} = 4) + \text{Dredge Width} + \text{Month} + \text{Season}$	22	0.45	-136
	Final+ <i>Bed</i>	24	0.45	-140
	Final+ <i>Vessel</i>	25	0.45	-143

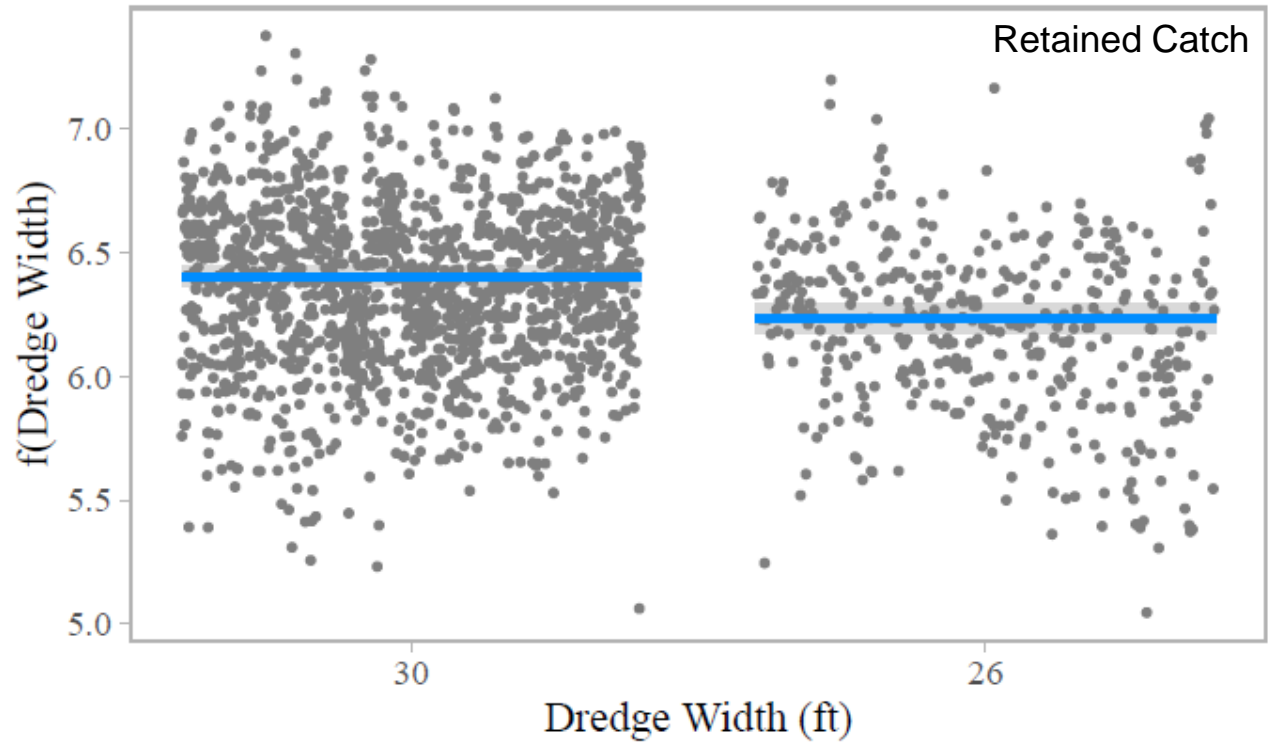
Total Catch Model Results:

Model	Terms	df	R^2	Δ AIC
Null	<i>Season</i>	13	0.43	0
Final	$\text{ns}(\text{depth}, \text{df} = 4) + \text{Month} + \text{Season}$	21	0.47	-132
	Final+ <i>Bed</i>	23	0.47	-131
	Final+ <i>Vessel</i>	24	0.47	-143
	Final+ <i>Dredge Width</i>	22	0.48	-163

** $\Delta R^2 = 0.008$

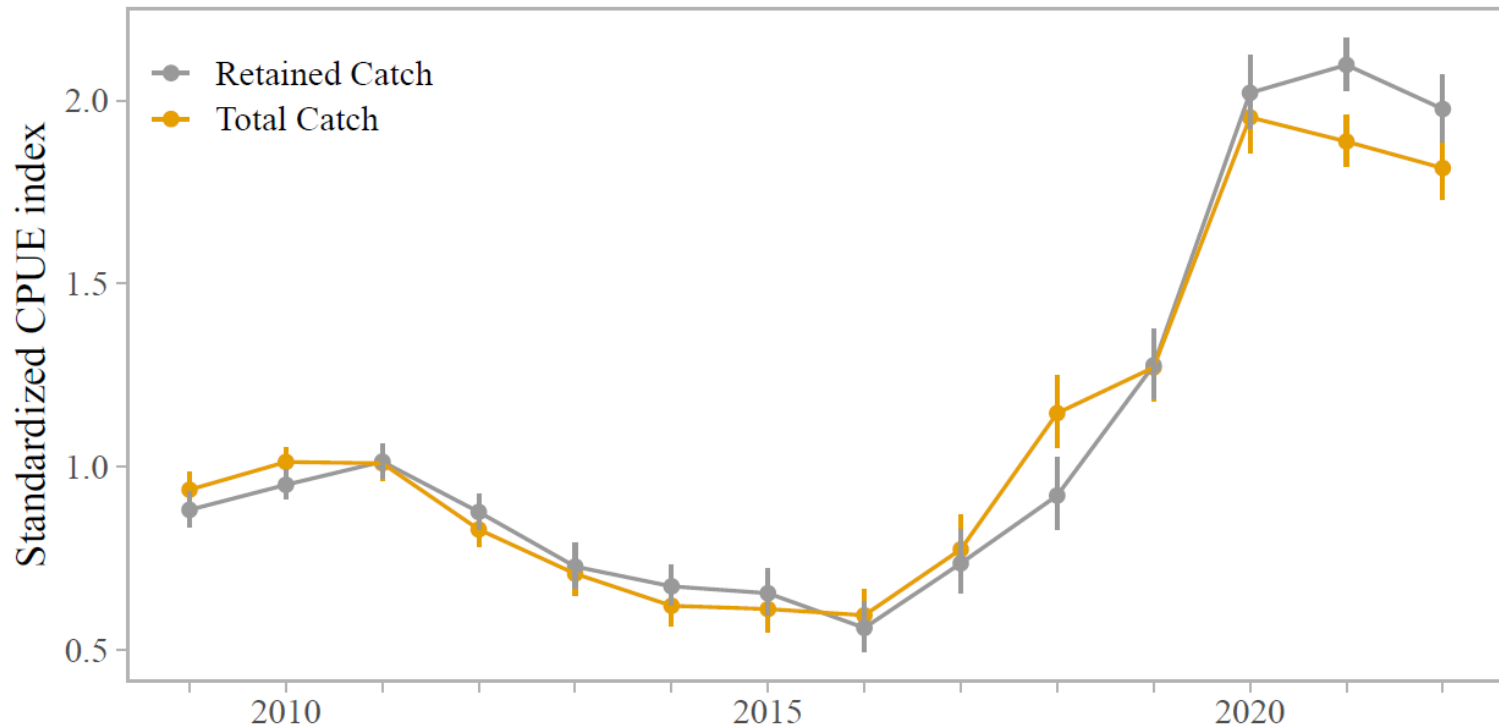


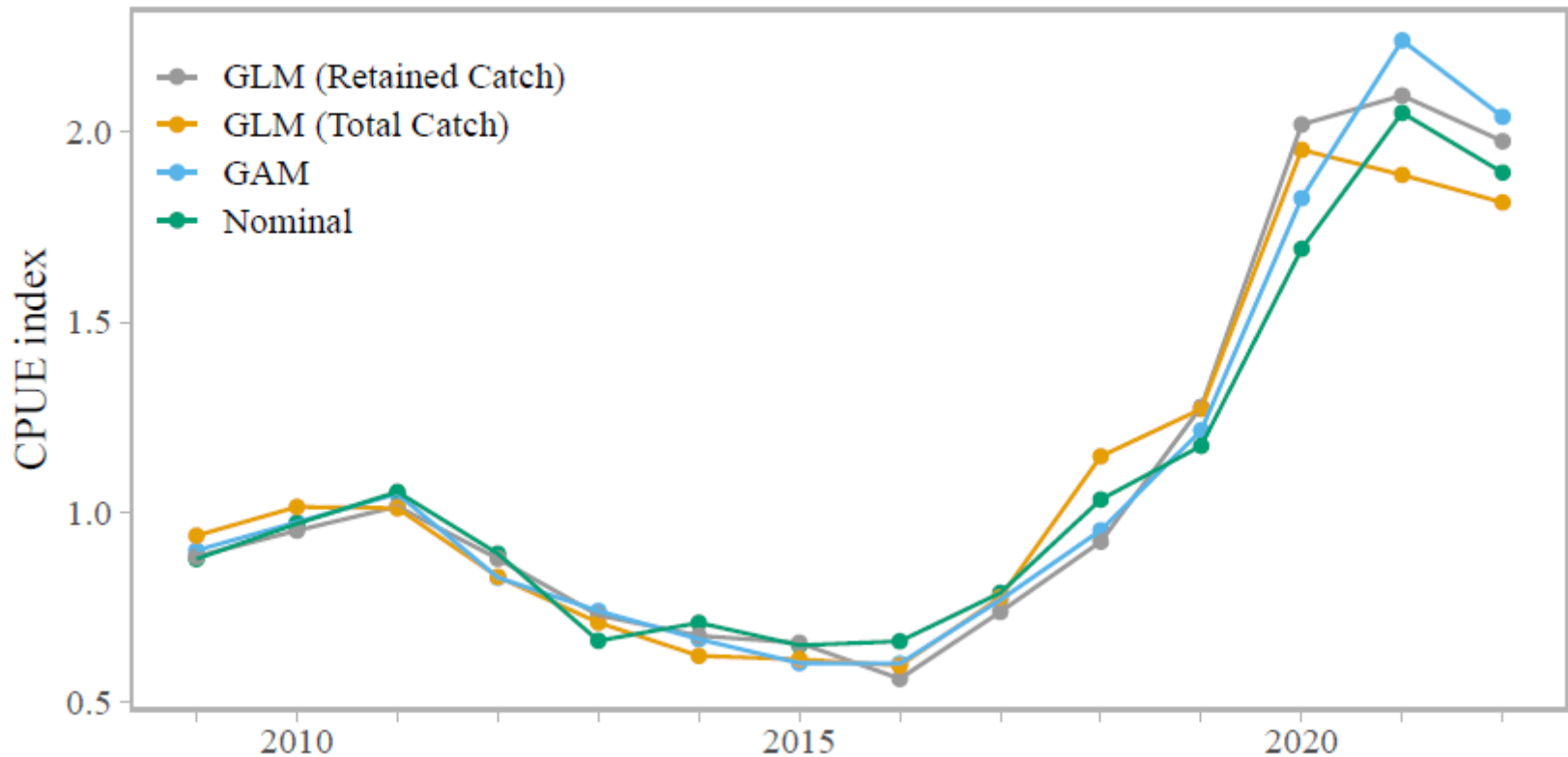




Extracting Standardized Index²

$$\beta'_i = \frac{\beta_i}{\bar{\beta}} \quad \bar{\beta} = \sqrt[n_j]{\prod_{j=1}^{n_j} \beta_{i,j}}$$





Chose to use retained catch index for population dynamics model

- Consistent with previous reporting
- Consistent with CPUE data availability for 1992 - 2008