## Acoustic-Trawl Survey Uncertainty

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## Acoustic-trawl surveys of Alaska pollock in EBS



- Currently, estimate relative error using 1D geostatistics
- Typical coefficient of variation: 4-8\%
- Seems too precise, so inflated to $20 \%$ for stock assessment
- What is it really?


## Estimating uncertainty is a challenge for acoustic-trawl surveys

- A few more-comprehensive estimates elsewhere:
- Newfoundland cod (Rose et al. 1999)
- Antarctic krill (Demer 2004)
- New Zealand hoki (O'Driscoll 2004)
- Norwegian herring (Løland et al. 2007)
- ...And for pollock at AFSC:
- 2007: Walline, "Geostatistical simulations of EBS walleye pollock..."
- 2016: Woillez et al., "Evaluating total uncertainty..."
- 2020-present: myself


## Why this is a hard problem



- Multiple steps between acoustics/ trawls and numbers/biomass
- Combining two datasets with:
- Unique uncertainties/biases
- Very different spatial scales
- Acoustic data are extremely non-Gaussian



## Parametric and non-parametric bootstrapping



- Follows attempts at integrated Bayesian modeling
- Resampling/simulation for each step of calculations
- Mirrors standard MACE survey analysis
- Computationally fast and stable
- Can investigate contributions of individual sources of uncertainty


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- Conditional geostatistical simulation
- Randomized spatial assignment


## Conditional (non-) Gaussian geostatistical simulation




- Standard routine for Gaussian data
- Variogram defines covariance matrix $Q$ of desired simulated data $x$
- Uses "Cholesky trick," a.k.a. "Lower-upper Gaussian simulation," LUGS
- If $Q=L L^{\prime}$, then $x=L z$, where $z \sim$ i.i.d. $\operatorname{Normal}(0,1)$
- Non-Gaussian data: can transform it, but complicated and/or biased
- But...turns out, z doesn't have to be normal! Just need $\operatorname{var}(z)=1$
- Lower-upper non-Gaussian simulation: LUNGS
- Choose z from \{Gamma, Inv. Gamma, Inv. Gaussian, Lognormal\} based on KLD of x from observed backscatter

Conditional simulations on $10 \times 10 \mathrm{~km}$ grid

## Randomized acoustic-trawl assignment

- Trawl composition gives us species, sizes, target strengths
- Each acoustic interval scaled by nearest trawl
- Are these scaling factors representative of area?
- Randomly assign each grid cell to a trawl, probability $\sim$ distance ${ }^{-1}$



## Bootstrapping procedure at each iteration:



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Apply random "calibration error" from normal distribution with standard deviation of 0.1 dB (about 2.4\% in linear terms).

Based on variability in past calibrations and acoustic theory.

## Bootstrapping procedure at each iteration:



Spatial sampling error: simulate backscatter field, conditional on variogram model and data observed along transects.


## Bootstrapping procedure at each iteration:



Choose random trawl selectivity curve.
Based on models fit to pocket-net data by Kresimir Williams et al.


## Bootstrapping procedure at each iteration:



Resample catch (individual fish) in each trawl with replacement.

Calculate species/length composition, corrected for selectivity using function from prior step.

## Bootstrapping procedure at each iteration:



Drop one trawl at random.
Assign each grid cell to a trawl, with probability inversely related to distance.


## Bootstrapping procedure at each iteration:



Generate random length-TS function for pollock. TS uncertainty is 0.14 dB , about $3 \%$ in linear terms (Lauffenburger et al 2023).

For all other species, assume $\pm 3 \mathrm{~dB}$ uncertainty ( $100 \%$ in linear terms-being conservative).

## Bootstrapping procedure at each iteration:



> Resample age data (otolith reads) from survey to get age composition.
> Use to parameterize standard Gaussian mixture model for age-length key.

## Bootstrapping procedure at each iteration:



> Resample fish measured during survey with replacement.

> Generate length-weight function based on resampled measurements (De Robertis and Williams 2008).

## Total pollock abundance and biomass 2007-2022




Median new CV / old CV:

- $\quad 1.57$ for numbers
- $\quad 1.27$ for biomass



## Contributions of individual uncertainty sources



- Re-analyzed all surveys, turning on one component at a time
- Largest individual sources, on average:
- Spatial sampling error
- TS models
- Echosounder calibration
- Trawling-related sources (mostly for abundance)
- Some differences year-to-year
- EBS is homogenous-trawling likely more important in GOA


## Caveats

- A few sources of uncertainty remain unaccounted for:
- Acoustic classification errors
- Near-bottom acoustic dead zone
- Survey domain/geographic availability
- Fish movement
- Some remaining questions about calibration and TS
- Currently, ignoring bottom 3 meters of water column (~25\% of biomass)
- Uncertainty of absolute biomass vs. relative index
- Results may vary in other ecosystems, but...


## Works in GOA too: Shelikof Strait, Winter 2023




| Age | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | $10+$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| CV (\%) | 27.1 | 24.2 | 30.2 | 21.2 | 18.8 | 12.9 | 27.3 | 41.3 | 31.1 | 9.6 |

## Conclusions

- Total biomass uncertainty for MACE EBS pollock surveys is typically 5-11\%
- For individual age classes, 10-30\%
- Spatial sampling error, TS, and calibration are main sources
- For less abundant age classes/species, uncertainty may be higher/have different drivers
- More transects = less uncertainty
- On average 1.9 and $1.5 \times 1$ geostatistical estimates for numbers and biomass
- 2-4 times smaller than assumed in stock assessment
- Framework can be used to think about effort allocation/reduction



## LUNGS details and the "Cholesky trick"

- Normal "lower-upper Gaussian simulation" (LUGS):
- Use data + variogram model to define mean $\left(\mu_{x}\right)$ and covariance $(Q)$ for simulation locations
- Cholesky (LU) decomposition of covariance matrix $Q=L L^{-1}$
- If the vector $\boldsymbol{z}$ is i.i.d standard normal, product $\boldsymbol{x}=L \boldsymbol{z}$ will have covariance $Q$
- $Q=\operatorname{cov}(x)=\mathrm{E}\left[\begin{array}{ll}x & \left.x^{\prime}\right]\end{array}\right.$
- $\operatorname{cov}(z)=E\left[z z^{\prime}\right]=$ I
- $Q=L L^{\prime}=L I L^{\prime}=L E\left[z z^{\prime}\right] L^{\prime}=E\left[(L z)(L z)^{\prime}\right]$
- From definition of covariance, $\operatorname{cov}(L z)=Q$
- But, $z$ does not have to be normal-as long as $\operatorname{var}(z)=1.0, \operatorname{cov}(L z)=Q$
- Get means to match: $\mu_{z}=L^{-1} \mu_{x}$
- Know required mean and variance (1.0) for each element of $\mathbf{z}$, can then translate into parameters for whatever non-negative distribution you want


## Trawl shuffle details

- Randomly assign each acoustic cell to a trawl
- Inverse distance weighted: $1 / d^{a}$
- Exponent a set so average pixel has 50/50 chance of getting nearest trawl when $1 / 2$ distance to nearest neighbor



## Individual error contributions through time



## Coefficients of variation over time



## Separating backscatter into "scaling strata"



